

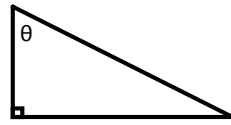
Lesson 4.0: Review of Trigonometry

Recall: In a right triangle, the primary trig ratios are:

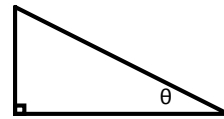
sine $\sin \theta =$

cosine $\cos \theta =$

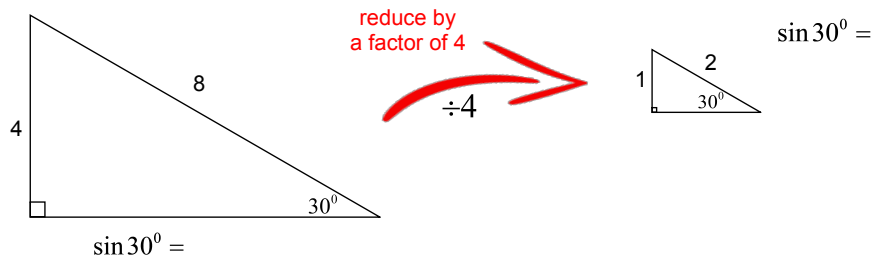
tangent $\tan \theta =$



adj
opp
hyp



These ratios compare the lengths of the sides of a triangle. Trig stems from similar triangles. Any right triangle with a 30° angle (for example), whatever its size, will have the same ratio of sides lengths because the angles are the same!



Recall: To "solve a triangle" means to find the measures of all 3 sides and all 3 angles.

Ex. 1 In $\triangle ABC$, $\angle A = 90^\circ$, $\angle B = 32^\circ$, and $c = 19.2$ cm. Solve the triangle. Include a well-labelled diagram.

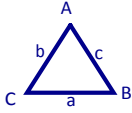
Ex. 2 In $\triangle DEF$, $\angle E = 90^\circ$, $d = 4.3$ m, and $e = 5.9$ m. Solve for $\angle F$.

But what if the triangle is not right-angled?

Recall:

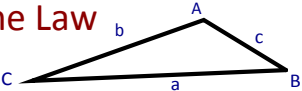
The Sine Law

In $\triangle ABC$,


$$\frac{a}{\sin A} = \frac{b}{\sin B} = \frac{c}{\sin C} \quad \text{or} \quad \frac{\sin A}{a} = \frac{\sin B}{b} = \frac{\sin C}{c}$$

The Cosine Law

In $\triangle ABC$,


$$c^2 = a^2 + b^2 - 2ab \cos C \quad \text{rearrange -->} \quad \cos C = \frac{a^2 + b^2 - c^2}{2ab}$$

(Used when finding a side). (Used when finding an angle).

We will derive these formulas in lesson 4.4 A

Ex. 3 Solve for c in $\triangle ABC$, if $\angle A = 67^\circ$, $a = 7.2$ cm, and $b = 7.0$ cm.

Ex. 4 Solve for the unknown angle θ .

