
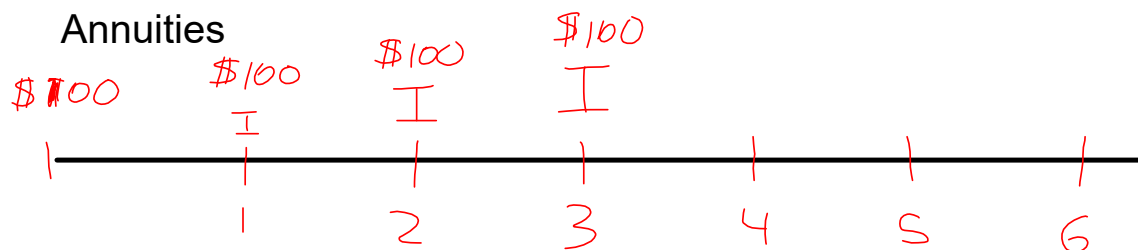
 <https://www.youtube.com/watch?v=TN7tM7iOx4E> Virtual TI for Mac users.

 <https://www.youtube.com/watch?v=r6Aiyjqhsvs> Virtual TI for PC users.

Compound Interest



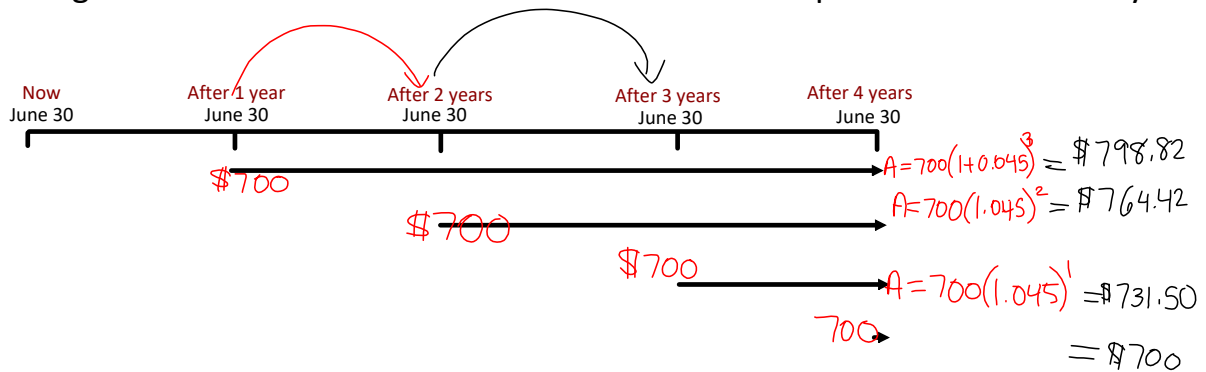
Annuities



7.3 Amount of an Annuity (FV)

Annuity: A series of equal payments made at regular intervals (savings plan, paying off a debt, etc.)

Last June 30, Nigel decided to save for a trip when he graduates. Starting next June 30, and for each of the following 3 years, he plans to deposit \$700 into an account that pays 4.5%/a, compounded annually. How much money will Nigel have accumulated when he makes the last deposit into this annuity?



- How much is each deposit worth at the end of the 4 years? $\$2994.74$
- What type of series is the sum of the deposits?
- What is the formula to find the sum of the terms?

see unit 6.

Annuity Formulas:

$$A = \frac{R[(1+i)^n - 1]}{i}$$

- Use this to find the amount.

$$R = \frac{Ai}{[(1+i)^n - 1]}$$

- Use this to find the regular payment.



- where
- A = Amount at the time of the last payment
- R = Regular payment
- i = Interest rate per compound pd.
- n = # of compound periods/# of payments

Ex. 1 Mary deposits \$250 into an account at the end of each month paying 7.2%/a compounded monthly for 5 years. How much money will she have at the end of 5 years?

By Hand:

$$A =$$

$$R = \$250$$

$$i = \frac{0.072}{12}$$

$$n = 5 \times 12 = 60$$

$$A = \frac{R[(1+i)^n - 1]}{\frac{i}{12}}$$

$$= \frac{250 \left[\left(1 + \frac{0.072}{12} \right)^{60} - 1 \right]}{\frac{0.072}{12}}$$

$$A = \$17,991.18$$

$$\begin{aligned} \text{Interest} &= 250 \times 60 \\ &= 15000 \end{aligned}$$

$$\begin{aligned} \text{Interest} &= 17,991.18 - 15,000 \\ &= \$2,991.18 \end{aligned}$$

By TVM:

APPS

, 1: Finance...,

ENTER

, 1: TVM Solver...

ENTER

N = # of compounding periods

I% = interest rate/a as a percent

PV = present value (P)

PMT = the payment amount (put as "0" if there are no payments)

FV = future value (A)

P/Y = number of payments per year

C/Y = number of compound periods per year

PMT: = choose END

$$N = 60$$

$$I\% = 7.2$$

$$PV = 0$$

$$PMT = -250$$

$$FV = ?$$

$$P/Y = 12$$

$$C/Y = 12$$

$$PMT: \boxed{\text{END}} \text{ BEGIN}$$

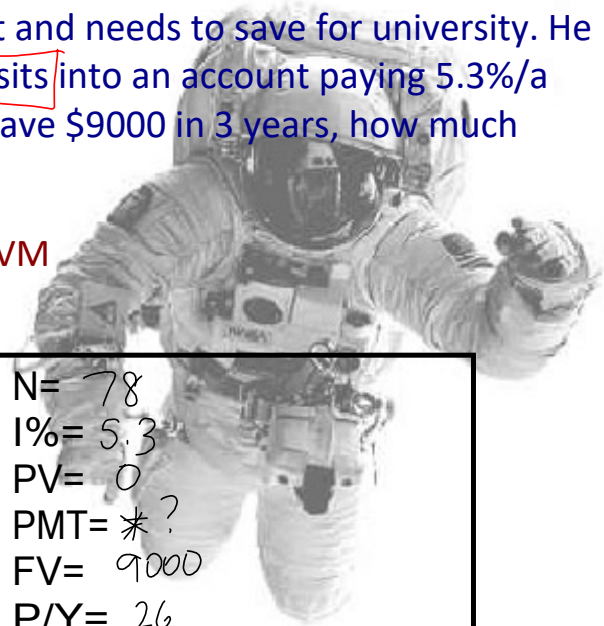
$$\begin{aligned} &FV \\ & \$17,991.18 \end{aligned}$$

Ex. 2 Cameron wants to be an astronaut and needs to save for university. He plans on making regular bi-weekly deposits into an account paying 5.3%/a compounded bi-weekly. If he wants to have \$9000 in 3 years, how much does he need to deposit each time?

By Hand

$$\begin{aligned}
 A &= 9000 & R &= \frac{Ai}{[(1+i)^n - 1]} \\
 R &= ? & & \\
 i &= \frac{0.053}{26} & & = 9000 \left(\frac{0.053}{26} \right) \\
 n &= 26 \times 3 & & \frac{[(1 + \frac{0.053}{26})^{78} - 1]}{ \\
 &= 78 & & R = \$106.57
 \end{aligned}$$

By TVM



N=	78
I%=	5.3
PV=	0
PMT=	*?
FV=	9000
P/Y=	26
C/Y=	26
PMT:	END BEGIN

Ex. 3 Who wants to be a Millionaire?

You want to know how much to put away every month, from now until you retire, to become a millionaire. Assume interest at 5% compounded monthly, and that you retire at 65.

16 → 65

Interest
 395.71×588
 $= 232\,677.48$



Interest
 $767\,322.52$ PMT: \$395.71

$$\begin{aligned} N &= 49 \times 12 = 588 \\ I\% &= 5 \\ PV &= 0 \\ PMT &= ? \\ FV &= 1\,000\,000 \\ P/Y &= 12 \\ C/Y &= 12 \\ PMT: & \text{ END BEGIN} \end{aligned}$$



65 → 95

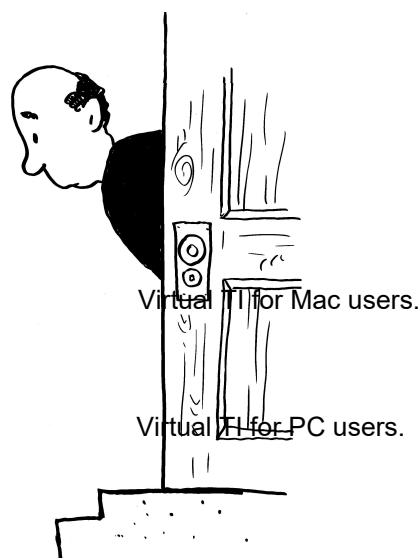
$$\begin{aligned} N &= 30 \times 12 = 360 \\ I\% &= 5 \\ PV &= 1\,000\,000 \\ PMT &= \\ FV &= 0 \\ P/Y &= 12 \\ C/Y &= 12 \\ PMT: & \text{ END BEGIN} \end{aligned}$$

PMT
 $\$5368.22$

Homework

Pg. 453 #C2,2bc,4-6,8,11,12a
(Graphing Calculator 4-6)

... AND IF YOU FUND
A GIFT ANNUITY, I'LL
BRING YOU COOKIES
EVERY YEAR FOR THE
REST OF YOUR LIFE.



<https://www.youtube.com/watch?v=TN7tM7iOx4E>

<https://www.youtube.com/watch?v=r6Aiyjqhsvs>

