

## 1.4 Linear and Quadratic Functions

**Degree of a polynomial:**

→ Is the greatest sum of the exponents in any one term

i.e.  $5x^2 + 3x + 7$  → degree 2

(HINT: decide on the degree when equation is in standard (expanded) form)

Linear Fn.	Quad Fn.
→ Common first difference will depend on a constant increase of the independent variable ( $x$ ) ***	→ Common 2nd difference
→ The degree is 1	→ The degree is 2
→ Graphically is a straight line	→ Graphically is a curve (parabola)

### Ex 1

Determine if the function is linear, quadratic or neither.

a)  $f(x) = -x^2 - 12x - 3$       b)  $3x + y = 5$       c)  $f(x) = 2x^3 - 5$

d)  $f(x) = 2^x$

d)  $f(x) = \frac{1}{x}$

Ex 2

Determine if the function is linear, quadratic or neither:

a)

x	y
0	5
1	2
2	-1
3	-4
4	-7

b)

x	y
0	1
1	2
2	4
3	8
4	16

c)

x	y
0	0
2	1
4	4
6	9
8	16

Ex3 : Write the equations in function notation, create a table of values, then graph the following functions:

a)  $y = 2x - 4$

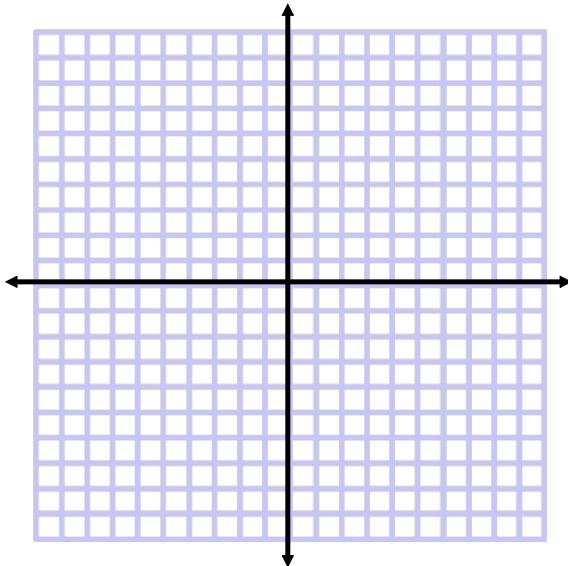
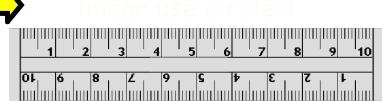
→ Function notation :  $f(x) = 2x - 4$

x	f(x)

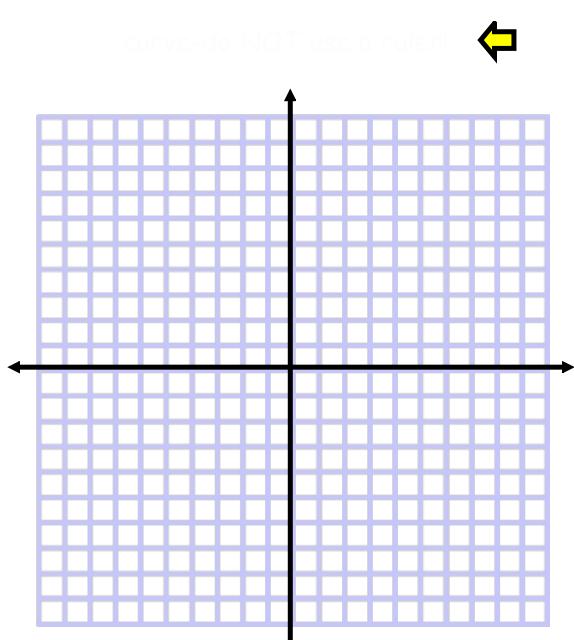
b)  $h = 2t^2 - 4$

t	h(t)

Notice degree  
and type of fn.: → linear



→ degree 2  
common 2nd difference of 4  
quadratic



Hmwk  
p. 24  
#1, 3,  
7 - 9

